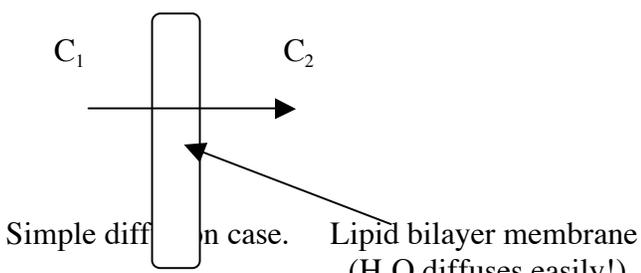
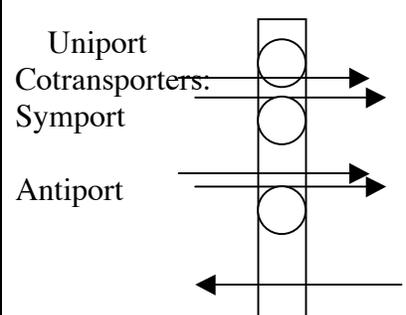
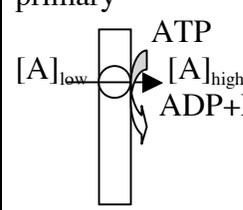
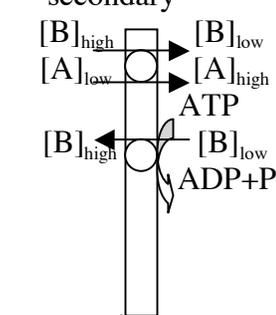


<p>Chem 431A-L28-F'07 wednesday                  admin: Inclass Quiz 10 .                  Online quiz9 deadline is Monday (Chapt 11). In                  class quiz is Friday (membranes, transport)                  Review guide for final (65pts) posted today</p>	<p>Last time: transport thermodynamics                   Today: problem solving + review                  (ask me how you are doing)                  Fri: talk + survey + quiz</p>
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Last time:

<p>For a solution: <math>G = RT \ln C</math> so <math>\Delta G</math> between 2                  sides of memb: final - initial  <math>\Delta G = G_f - G_i = RT \ln C_f - RT \ln C_i = RT \ln(C_f/C_i)</math></p> 	<p>Process:  <math>C_1 \rightarrow C_2</math> net charge transport</p> <p>2 different aspects:                  rate (kinetics) &amp; spontaneity(thermodynamics)  <math>J = P(C_2 - C_1)</math></p> <p>(1) <math>\Delta G = RT \ln(C_f/C_i)</math>                  (2) <math>\Delta G = RT \ln(C_f/C_i) + ZF\Delta\psi</math>                  (3) <math>\Delta G = RT \ln(C_f/C_i) + \Delta G'</math></p> <p>permeability(deps on S solubility in memb.)                  coupled chem rxns</p>
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<p>3 kinds of diffusion-driven transport</p> <table style="width: 100%; border: none;"> <tr> <td style="text-align: center; vertical-align: top;"> <p>simple (nonmediated)</p> <p><math>\Delta G' = 0</math>, "passive" slow</p> </td> <td style="text-align: center; vertical-align: top;"> <p>facilitated (mediated) (transporters, permeases) carrier fast</p> </td> <td style="text-align: center; vertical-align: top;"> <p>channel(pore) very fast</p> </td> </tr> </table> <p>factors to distinguish                  speed, specificity                  saturatable or not?                  Competitive?                  Can be inactivated?</p> <p>Transporters are not really enzymes but function                  similarly (lower activation energy, can be                  inactivated or modified)</p>	<p>simple (nonmediated)</p> <p><math>\Delta G' = 0</math>, "passive" slow</p>	<p>facilitated (mediated) (transporters, permeases) carrier fast</p>	<p>channel(pore) very fast</p>	<p>Kinds of transporters:</p>  <p>Symports and antiports are obligatory.</p> <p>Active transport: coupled reactions usu. to ATP hydrolysis.</p> <p>primary</p>  <p>secondary</p>  <p>In secondary active transport, the transport of A is                  by symport driven by B gradient kept high by                  another active transport mechanism</p>
<p>simple (nonmediated)</p> <p><math>\Delta G' = 0</math>, "passive" slow</p>	<p>facilitated (mediated) (transporters, permeases) carrier fast</p>	<p>channel(pore) very fast</p>		

## Problem solving practice:

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Consider: note:  $T = 298$ ,  $R = 8.314 \text{ J/mol K}$ ,  $1 \text{ C-V} = 1 \text{ joule}$ ;  $\Delta G = 2.303RT \log C_2/C_1 + ZF\Delta\Psi + \Delta G'$

<p>1) A neutral solute crosses a membrane by passive diffusion. If its concentration is 1 mM on the left side and 100 mM on the right side, what is the free energy change for the transport of 1 mole of solute from left to right?</p>	$\Delta G = RT \ln C_2/C_1 =$ $(8.314 \text{ J/molK})(298 \text{ K}) \ln(100/1) = +11,400 \text{ J/mol} =$ $+11.4 \text{ kJ/mol (non spontaneous)}$
<p>2) <math>\text{K}^+</math> ions cross a membrane from inside (140mM <math>\text{K}^+</math>) to outside (4mM <math>\text{K}^+</math>) by facilitated diffusion (via a pore). The membrane potential is 100 mV (+ on the right side of the membrane). Is the process of crossing from inside to outside spontaneous?</p>	$\Delta G = RT \ln C_2/C_1 + ZF(\Psi_2 - \Psi_1) =$ $(8.314 \text{ J/molK})(298 \text{ K}) \ln(4/140) + (+1)(96500)(.1 \text{ V})$ $= -8.81 \text{ kJ/mol} + 9.65 \text{ kJ/mol} = +0.84 \text{ kJ/mol}$ <p>(nonspont)</p>
<p>3) Consider the <math>\text{Na}^+/\text{K}^+</math> -ATPase transport system. For every ATP hydrolyzed, 3 <math>\text{Na}^+</math> ions move out of the cell and 2 <math>\text{K}^+</math> ions move into the cell. The membrane potential is -70 mV (that is, - on the inside and + on the outside). The standing concentrations of the relevant ions are: <math>[\text{K}^+]_{\text{out}} = 4 \text{ mM}</math>, <math>[\text{K}^+]_{\text{in}} = 140 \text{ mM}</math>, <math>[\text{Na}^+]_{\text{out}} = 145 \text{ mM}</math>, <math>[\text{Na}^+]_{\text{in}} = 12 \text{ mM}</math>. Note also:  <math>\text{ATP}^4 + \text{H}_2\text{O} \rightarrow \text{ADP}^3 + \text{HPO}_4^{2-} + \text{H}^+</math> <math>\Delta G' = -30.5 \text{ kJ/mol}</math>          What is <math>\Delta G'</math> for this transport? (assume <math>\text{pH} = 7</math>)</p>	$\Delta G = 2 RT \ln \{ [\text{K}^+]_{\text{i}} / [\text{K}^+]_{\text{o}} \} + 3 RT \ln \{ [\text{Na}^+]_{\text{o}} / [\text{Na}^+]_{\text{i}} \}$ $+ 2(+1)(96500 \text{ C/mol})(-0.070 \text{ V})$ $+ 3(+1)(96500 \text{ C/mol})(+0.070 \text{ V}) + (-30.5 \text{ kJ/mol})$ $= +12.2 \text{ kJ (non spontaneous at std conditions of ATP and ADP and Pi. They must be at non std conditions in the cell to make the } \Delta G' \text{ for ATP hydrolysis to be negative enough to allow for the ion pumping.}$ <p>Recall: <math>\Delta G' = \Delta G^\circ + RT \ln Q</math>          where <math>Q = [\text{ADP}][\text{Pi}]/[\text{ATP}]</math></p>

<p>Resting membrane potential <math>\Delta\Psi</math> of a cell:          Consider:  <math>\Delta G = RT \ln (C_2/C_1) + ZF\Delta\Psi</math>          at equilibrium (assuming only passive diffusion)  <math>\Delta G = 0 = RT \ln (C_2/C_1) + ZF\Delta\Psi</math>          solve for <math>\Delta\Psi</math>:  <math>\Delta\Psi = -(RT/ZF) \ln (C_2/C_1)</math> "Nernst Equation"          magnitude:  <math>\Delta\Psi = -2.303(RT/ZF) \log (C_2/C_1) = (60 \text{ mV}/Z) \log (C_2/C_1)</math>          let's draw it. For example, <math>[\text{K}^+]_1 = 10 \text{ mM}</math>, <math>[\text{K}^+]_2 = 1 \text{ mM}</math>          what is the resting potential?          For example: <math>\text{pH}_1 = 2</math>, <math>\text{pH}_2 = 10</math>, what is <math>\Delta\Psi</math>?</p>	<p>For <math>\text{K}^+</math> example:  <math>\Delta\Psi = -2.303(RT/ZF) \log (C_2/C_1)</math>  <math>= (60 \text{ mV}/Z) \log (C_2/C_1)</math>  <math>= 60 \text{ mV} (\log (1/10)) = -60 \text{ mV}</math></p> <p>it must be + in the side that's low in <math>[\text{K}^+]</math> for the system to be at equilibrium.</p> <p>pH example: <math>\Delta\Psi = -2.303(RT/ZF) \log (C_2/C_1)</math>  <math>= -2.303(RT/ZF) \log ([\text{H}^+]_2 / [\text{H}^+]_1)</math>  <math>= 60 \text{ mV} \text{pH}_1 - \text{pH}_2 = 60 \text{ mV} (\Delta\text{pH})</math>  <math>= 60 \text{ mV} (10 - 2) = 480 \text{ mV} . + \text{ on the high pH side}</math></p>
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